Seminarium: Grootschalige lineaire algebra en model reduktie, voorjaar 2003

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Programma

1ste dag, 4 maart

WM LES 1: Krylov ruimten en basis voor Krylov ruimte [35, Ch.2] effect van verlies van orthogonaliteit (zie ook artikel van Daniel, Gragg, Kaufmann and Stewart [10]. Meer informatie in [27, 29, 22, 7, 8, 20, 18, 17, 19]).

JW LES 2: Lanczos, Arnoldi, Two-sided Lanczos, met goede afleiding van de gereduceerde matrices [28] (en [1, 36, 3]).

2de dag, 11 maart

LH LES 1: Bi-CG, QMR [35, Ch.6] ([11, 16, 6])

MS LES 2: CGS [35, Ch.6] ([31]), BiCGSTAB [35, Ch.8] ([34, 6])

3de dag, 18 maart

Geen seminarium

4de dag, 25 maart

BM LES 1: Eigenwaarden en Ritz waarden, Ritzvectoren [36, Ch.5] ([26, 3])

WM LES 2: Harmonische Ritz waarden, Harmonische Ritzvectoren [36, Ch.5] ([24, 25, 3])

5de dag, 1 april

JW LES 1: Jacobi-Davidson [36, Ch.9] ([30, 12])

LH LES 2: Jacobi-Davidson en circuitanalyse [9] ([21])

6de dag, 8 april

Geen seminarium

7de dag, 15 april

MS LES 1: f(A) [33] ([35, Ch.12]), sign(A) [2]

BM LES 2: QCD [32]

Referenties

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