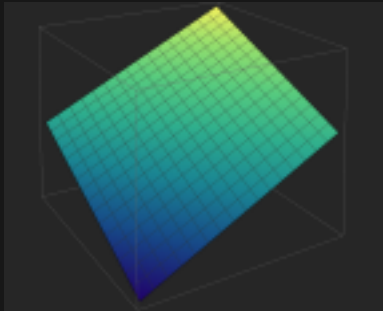


Ruimtecoördinaten

# Welke vergelijking?

In alle hierna volgende figuren wijst de positieve z-as omhoog.

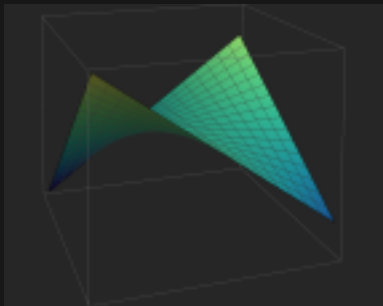


■  $x + y + z = 3$

■  $xy + z = 3$

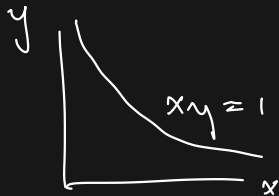
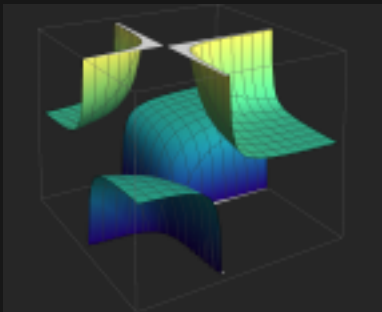
■  $xyz = 3$

# Welke vergelijking?



- }   $x + yz = 3$   
  $xy + z = 3$   $\rho$   
  $xyz = 3$

# Welke vergelijking?



■  $(x + y)z = 3$

■  $xy + xz + yz = 3$

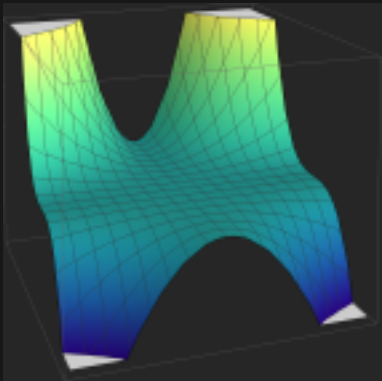
■  $xyz = 3$



Kies  $z$  const.  
Kies  $x$  const.  
 $xy$

$xy = z$  const.  
 $xz = y$  const.  
 $yz = x$  const.

# Welke vergelijking?



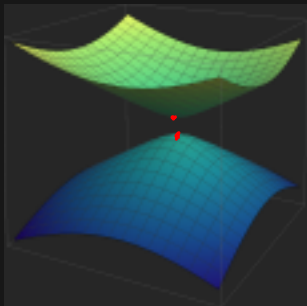
■  $z + x^2y = 3$

■  $z + x^2y^2 = 3$

■  $z + x^2y^3 = 3$   $\mathcal{R}$

# Welke vergelijking?

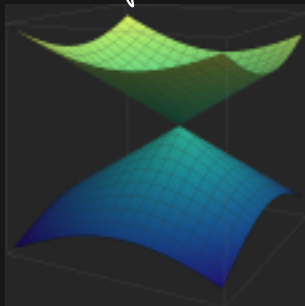
kegel



■  $x^2 - y^2 - z^2 = -3$

■  ~~$x^2 + y^2 - z^2 = 3$~~

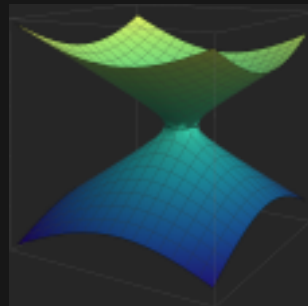
■  ~~$x^2 + y^2 - z^2 = -3$~~



~~$x^2 - y^2 - z^2 = 0$~~

$x^2 + y^2 - z^2 = 0$

$x^2 + y^2 - z^2 = 0$



$x^2 - y^2 - z^2 = 3$

~~$x^2 + y^2 - z^2 = -3$~~

$x^2 + y^2 - z^2 = 3$

8

Welke parametrisering beweegt *niet* langs een rechte lijn?

■  $x = 1 - t^2, \quad y = 2 + 4t^2, \quad z = 3 - 8t^2$  in rechthoekkoord.

■  $r = 1 - t, \quad \theta = \pi/7, \quad z = t$  in cylinderkoord.

■  $r = 2, \quad \varphi = 1 + t, \quad \theta = 1 - t$  in bolkoord.

□  $\varphi = t, \quad \theta = 0, \quad r = \frac{1}{\cos t + \sin t}$  in bolkoord.